

Chapter 13 Solution

Exercise 41

1. (a) $\frac{AB}{\sin 48^\circ} = \frac{10}{\sin 114^\circ}$ (M1)(A1) for substitution
 $AB = \frac{10 \sin 48^\circ}{\sin 114^\circ}$
 $AB = 8.134732862$
 $AB = 8.13 \text{ cm}$ A1 N3 [3]
- (b) $\hat{BAC} = 180^\circ - 114^\circ - 48^\circ$
 $\hat{BAC} = 18^\circ$ (A1) for correct value
 $\frac{BC}{\sin 18^\circ} = \frac{10}{\sin 114^\circ}$ (M1) for sine rule
 $BC = \frac{10 \sin 18^\circ}{\sin 114^\circ}$
 $BC = 3.382612127$
 $BC = 3.38 \text{ cm}$ A1 N3 [3]
2. (a) $\hat{BCA} = 180^\circ - 43^\circ - 92^\circ$ (M1) for valid approach
 $\hat{BCA} = 45^\circ$
 $\frac{AB}{\sin 45^\circ} = \frac{21}{\sin 43^\circ}$ (M1) for sine rule
 $AB = \frac{21 \sin 45^\circ}{\sin 43^\circ}$
 $AB = 21.77313506$
 $AB = 21.8 \text{ cm}$ A1 N3 [3]
- (b) The area of $\triangle ABC$
 $= \frac{1}{2}(AC)(AB)\sin \hat{BAC}$ (M1) for valid approach
 $= \frac{1}{2}(21)(21.77313506)\sin 92^\circ$ (A1) for substitution
 $= 228.4786503$
 $= 228 \text{ cm}^2$ A1 N3 [3]

3. (a) $\frac{1}{2}(86)(BC)\sin 40^\circ = 1900$ (M1)(A1) for substitution
 $BC = 68.74128537$
 $BC = 68.7$ cm A1 N3 [3]
- (b) $AB = \sqrt{86^2 + 68.74128537^2 - 2(86)(68.74128537)\cos 40^\circ}$ (M1)(A1) for substitution
 $AB = 55.35374433$
 $AB = 55.4$ cm A1 N3 [3]
4. (a) $\frac{1}{2}(35)(54)\sin \hat{BAC} = 892$ (M1)(A1) for substitution
 $\hat{BAC} = 70.7198401^\circ$
 $\hat{BAC} = 70.7^\circ$ A1 N3 [3]
- (b) $BC = \sqrt{35^2 + 54^2 - 2(35)(54)\cos 70.7198401^\circ}$ (M1)(A1) for substitution
 $BC = 53.78560244$
 $BC = 53.8$ cm A1 N3 [3]

Exercise 42

1. (a) $\hat{A}PB = 180^\circ - 45^\circ - 34^\circ$
 $\hat{A}PB = 101^\circ$ (M1) for valid approach
A1 N2 [2]
- (b) $\frac{PB}{\sin 45^\circ} = \frac{120}{\sin 101^\circ}$ (M1)(A1) for substitution
 $PB = 86.44097797$
 $PB = 86.4$ m A1 N3 [3]
- (c) $\sin 34^\circ = \frac{PC}{86.44097797}$ (M1) for valid approach
 $PC = 48.33718145$
 $PC = 48.3$ m A1 N2 [2]
2. (a) $\hat{P}RQ = 69^\circ - 24^\circ$ (M1) for valid approach
 $\hat{P}RQ = 45^\circ$ A1 N2 [2]
- (b) $\hat{Q}PR = 180^\circ - 69^\circ - 90^\circ$ (M1) for valid approach
 $\hat{Q}PR = 21^\circ$ A1 N2 [2]
- (c) $\frac{PQ}{\sin 45^\circ} = \frac{5}{\sin 21^\circ}$ (M1)(A1) for substitution
 $PQ = 9.865653194$
 $PQ = 9.87$ m A1 N3 [3]

3. (a) $\cos \hat{R}PQ = \frac{8^2 + 6^2 - 9^2}{2(8)(6)}$ (M1)(A1) for substitution
 $\hat{R}PQ = 78.58484226$
 Thus, the angle of depression of R from P is 78.6° . A1 N3 [3]
- (b) $\cos 78.58484226^\circ = \frac{x}{8}$ (M1) for valid approach
 $x = 1.583333333$
 $x = 1.58$ A1 N2 [2]
- (c) $\sin 78.58484226^\circ = \frac{h}{8}$ (M1) for valid approach
 $h = 7.841750797$
 $h = 7.84$ A1 N2 [2]
4. (a) 29° A1 N1 [1]
- (b) $\frac{\sin \hat{B}FA}{10} = \frac{\sin 29^\circ}{30}$ (M1)(A1) for substitution
 $\sin \hat{B}FA = 0.161603206$
 $\hat{B}FA = 9.299964331^\circ$ (A1) for correct value
 The angle of elevation of F from B
 $= \hat{O}BF$
 $= 9.299964331^\circ + 29^\circ$
 $= 38.299964331^\circ$
 $= 38.3^\circ$ A1 N4 [4]
- (c) $\sin 38.299964331^\circ = \frac{OF}{30}$ (M1) for valid approach
 $OF = 18.5933563$
 Thus, the height of the vertical flagpole is 18.6 m. A1 N2 [2]

Exercise 43

1. (a) 60° A1 N1 [1]
- (b) $\frac{1}{2}(3)(BC)\sin 120^\circ = \frac{27\sqrt{3}}{4}$ (M1)(A1) for substitution
 $BC = 9$ cm A1 N3 [3]
- (c) The arc length of the sector BDC
 $= 2\pi(9) \times \frac{60^\circ}{360^\circ}$ (A1) for substitution
 $= 3\pi$ cm A1 N2 [2]
2. (a) $\cos \hat{A}BC = \frac{10^2 + 10^2 - (10\sqrt{3})^2}{2(10)(10)}$ (M1)(A1) for substitution
 $\hat{A}BC = 120^\circ$ A1 N3 [3]
- (b) 60° A1 N1 [1]
- (c) The perimeter of the figure ADC
 $= 10\sqrt{3} + 2(10) + 2\pi(10) \times \frac{60^\circ}{360^\circ}$ (M1)(A1) for substitution
 $= 47.79248359$
 $= 47.8$ cm A1 N3 [3]
3. (a) $AC^2 = 6^2 + 16^2 - 2 \times 6 \times 16 \times \cos 60^\circ$ M1A1
 $AC^2 = 196$ A1
 $AC = \sqrt{196}$
 $AC = 14$ cm AG N0 [3]
- (b) The area of this shape
 $= \frac{1}{2}(6)(16)\sin 60^\circ + \pi\left(\frac{14}{2}\right)^2 \times \frac{180^\circ}{360^\circ}$ (M1)(A1) for substitution
 $= 118.5382394$
 $= 119$ cm² A1 N3 [3]

4. (a) $\frac{1}{2}(8)(AC)\sin 60^\circ = 24\sqrt{3}$ M1A1
 $AC = 12 \text{ cm}$ AG N0 [2]
- (b) $AB = \sqrt{12^2 + 8^2 - 2(12)(8)\cos \frac{\pi}{3}}$ (A1) for substitution
 $AB = \sqrt{112} \text{ cm}$ A1 N2 [2]
- (c) The perimeter of this shape
 $= \sqrt{112} + 8 + 2\pi\left(\frac{12}{2}\right) \times \frac{180^\circ}{360^\circ}$ (M1)(A1) for substitution
 $= 37.43256117$
 $= 37.4 \text{ cm}$ A1 N3 [3]

Exercise 44

1. (a) The length of arc ABC
 $= 2\pi(55) - 2\pi(55) \times \frac{155^\circ}{360^\circ}$ (M1)(A1) for substitution
 $= 196.7858732$
 $= 197 \text{ cm}$ A1 N3 [3]
- (b) The perimeter of sector OABC
 $= 196.7858732 + 55 + 55$ (M1) for valid approach
 $= 306.7858732$
 $= 307 \text{ cm}$ A1 N2 [2]
- (c) The area of sector OABC
 $= \pi(55)^2 - \pi(55)^2 \times \frac{155^\circ}{360^\circ}$ (M1) for valid approach
 $= 5411.611512$
 $= 5410 \text{ cm}^2$ A1 N2 [2]
2. (a) The length of arc ABC
 $= 2\pi(20) \times \frac{54.5^\circ}{360^\circ}$ (A1) for substitution
 $= 19.02408885 \text{ cm}$ (A1) for correct value
 The perimeter of sector OABC
 $= 19.02408885 + 20 + 20$ (M1) for valid approach
 $= 59.02408885$
 $= 59.0 \text{ cm}$ A1 N4 [4]
- (b) The area of sector OABC
 $= \pi(20)^2 \times \frac{54.5^\circ}{360^\circ}$ (A1) for substitution
 $= 190.2408885$
 $= 190 \text{ cm}^2$ A1 N2 [2]

3. (a) $2\pi(8.6) \times \frac{\theta^\circ}{360^\circ} = 9.46$ (A1) for correct equation
 $\theta = 63.02535746$
 $\theta = 63.0$ A1 N2 [2]
- (b) The reflex \hat{AOC}
 $= 360^\circ - 63.02535746^\circ$ (M1) for valid approach
 $= 296.9746425^\circ$ (A1) for correct value
The area of sector OADC
 $= \pi(8.6)^2 \times \frac{296.9746425^\circ}{360^\circ}$ (A1) for substitution
 $= 191.6741927$
 $= 192 \text{ cm}^2$ A1 N4 [4]
4. (a) $\pi(OC)^2 \times \frac{114.5^\circ}{360^\circ} = 14$ (A1) for correct equation
 $OC^2 = 14.01119499$
 $OC = 3.743153081$
 $OC = 3.74 \text{ cm}$ A1 N2 [2]
- (b) The reflex \hat{AOC}
 $= 360^\circ - 114.5^\circ$ (M1) for valid approach
 $= 245.5^\circ$ (A1) for correct value
The area of sector OADC
 $= \pi(3.743153081)^2 \times \frac{245.5^\circ}{360^\circ}$ (A1) for substitution
 $= 30.01746725$
 $= 30.0 \text{ cm}^2$ A1 N4 [4]

Exercise 45

1. (a) The required area

$$= \pi(125)^2 \times \frac{142^\circ}{360^\circ}$$

$$= 19362.24639$$

$$= 19400 \text{ cm}^2$$
(A1) for substitution
A1 N2 [2]
- (b) The required area

$$= \frac{1}{2}(125)(125)\sin 142^\circ$$

$$= 4809.855276$$

$$= 4810 \text{ cm}^2$$
(A1) for substitution
A1 N2 [2]
- (c) The required area

$$= 19362.24639 - 4809.855276$$

$$= 14552.39111$$

$$= 14600 \text{ cm}^2$$
(M1) for valid approach
A1 N2 [2]
2. (a) The required length

$$= 2\pi(1740) \times \frac{80^\circ}{360^\circ}$$

$$= 2429.498319$$

$$= 2430 \text{ cm}$$
(A1) for substitution
A1 N2 [2]
- (b)
$$AB = \sqrt{1740^2 + 1740^2 - 2(1740)(1740)\cos 80^\circ}$$

$$AB = 2236.900882$$

$$AB = 2240 \text{ cm}$$
(M1)(A1) for substitution
A1 N3 [3]
- (c) The required perimeter

$$= 2429.498319 + 2236.900882$$

$$= 4666.399201$$

$$= 4670 \text{ cm}$$
(M1) for correct approach
A1 N2 [2]

3. (a) $\cos \hat{A}OB = \frac{20^2 + 20^2 - 32^2}{2(20)(20)}$ (M1)(A1) for substitution
 $\cos \hat{A}OB = -0.28$
 $\hat{A}OB = 106.2602047^\circ$
 $\hat{A}OB = 106^\circ$ A1 N3 [3]
- (b) The area of the sector AOB
 $= \pi(20)^2 \times \frac{106.2602047^\circ}{360^\circ}$ (A1) for substitution
 $= 370.9180872$
 $= 371 \text{ cm}^2$ A1 N2 [2]
- (c) The area of the shaded region
 $= 370.9180872 - 192$ (M1) for valid approach
 $= 178.9180872$
 $= 179 \text{ cm}^2$ A1 N2 [2]
4. (a) $\cos \hat{A}OB = \frac{40^2 + 40^2 - 60^2}{2(40)(40)}$ (M1)(A1) for substitution
 $\cos \hat{A}OB = -0.125$
 $\hat{A}OB = 97.18075578^\circ$
 $\hat{A}OB = 97.2^\circ$ A1 N3 [3]
- (b) The length of the minor arc AB
 $= 2\pi(40) \times \frac{97.18075578^\circ}{360^\circ}$ (A1) for substitution
 $= 67.84496632$
 $= 67.8 \text{ cm}^2$ A1 N2 [2]
- (c) The perimeter of the shaded segment
 $= (2\pi(40) - 67.84496632) + 60$ (M1) for valid approach
 $= 243.482446$
 $= 243 \text{ cm}$ A1 N2 [2]

Exercise 46

1. (a) The bearing of C from E
 $= 360^\circ - (180^\circ - 77^\circ)$ (M1) for valid approach
 $= 257^\circ$ A1 N2 [2]
- (b) (i) $\hat{ACE} = 180^\circ - 77^\circ$
 $\hat{ACE} = 103^\circ$ (A1) for correct value
 $\hat{AEC} = 180^\circ - 103^\circ - 51^\circ$
 $\hat{AEC} = 26^\circ$ A1 N2
- (ii) $\frac{AE}{\sin 103^\circ} = \frac{800}{\sin 26^\circ}$ (M1)(A1) for substitution
 $AE = 1778.164593$
 $AE = 1780 \text{ km}$ A1 N3 [5]
- (c) $DE = \sqrt{1778.164593^2 + 1350^2 - 2(1778.164593)(1350)\cos 51^\circ}$ (M1)(A1) for substitution
 $DE = 1401.061804$
 $DE = 1400 \text{ km}$ A1 N3 [3]
- (d) (i) B lies on AC such that $BE \perp AC$. (M1) for valid approach
 $\sin \hat{BAE} = \frac{BE}{AE}$
 $BE = 1381.893432$
 $BE = 1380 \text{ km}$ A1 N2
- (ii) The time required
 $= \frac{DE}{62}$ (M1) for valid approach
 $= \frac{1401.061804}{62}$
 $= 22.59777103 \text{ h}$
 The speed of the boat
 $= \frac{BE}{22.59777103}$ (M1) for valid approach
 $= \frac{1381.893432}{22.59777103}$
 $= 61.15175829$
 $= 61.2 \text{ km/h}$ A1 N3 [5]

2. (a) $\hat{A}DC = 160^\circ - 90^\circ$
 $\hat{A}DC = 70^\circ$ (A1) for correct value
 $\frac{AC}{\sin 70^\circ} = \frac{15}{\sin 58^\circ}$ (M1) for sine rule
 $AC = 16.62097866$
 $AC = 16.6 \text{ km}$ A1 N3
- (b) $\hat{D}AC = 180^\circ - 70^\circ - 58^\circ$
 $\hat{D}AC = 52^\circ$ (A1) for correct value
The area of the triangle DAC
 $= \frac{1}{2}(15)(16.62097866)\sin 52^\circ$ (A1) for substitution
 $= 98.2313244$
 $= 98.2 \text{ km}^2$ A1 N3
- (c) (i) The area of the triangle ABC
 $= 2(98.2313244)$
 $= 196.4626488$
 $= 196 \text{ km}^2$ A1 N1
- (ii) $\frac{1}{2}(16.620979)(BC)\sin 56^\circ = 196.4626488$ (M1)(A1) for correct equation
 $BC = 28.51538144$
 $BC = 28.5 \text{ km}$ A1 N3
- (d) (i) $\frac{DC}{\sin 52^\circ} = \frac{15}{\sin 58^\circ}$ (A1) for substitution
 $DC = 13.93807893$
 $DC = 13.9 \text{ km}$ A1 N2
- (ii) $BD = \frac{\sqrt{13.93807893^2 + 28.51538144^2 - 2(13.93807893)(28.51538144)\cos(58^\circ + 56^\circ)}}{\cos(58^\circ + 56^\circ)}$ (A1) for substitution
 $BD = 36.47892111$
 $BD = 36.5 \text{ km}$ A1 N2
- (iii) $\frac{28.51538144}{1} = \frac{36.47892111}{T}$ (M1) for valid approach
 $T = 1.279271722$
Thus, the time taken is 1.28 hours. A1 N2

[3]

[3]

[4]

[6]

3. (a) $\hat{A}BC = 360^\circ - 312^\circ$
 $\hat{A}BC = 48^\circ$ (A1) for correct value
 $\frac{AC}{\sin 48^\circ} = \frac{60}{\sin 83^\circ}$ (A1) for substitution
 $AC = 44.9235428$
 $AC = 44.9 \text{ km}$ A1 N3 [3]
- (b) The area of the triangle ABC
 $= \frac{1}{2}(44.9235428)(60)\sin 49^\circ$ (M1)(A1) for substitution
 $= 1017.126844$
 $= 1020 \text{ km}^2$ A1 N3 [3]
- (c) The area of the triangle ACD
 $= 1.5(1017.126844)$
 $= 1525.690266$ (A1) for correct value
 $\frac{1}{2}(DC)(AC)\sin \theta^\circ = 1525.690266$ (M1) for setting equation
 $\frac{1}{2}(83)(44.9235428)\sin \theta^\circ = 1525.690266$ (A1) for correct equation
 $\sin \theta^\circ = 0.8183597859$
 $\theta^\circ = 54.92093749^\circ$
 $\theta^\circ = 54.9^\circ$ A1 N4 [4]
- (d) $\frac{BC}{\sin(180^\circ - 48^\circ - 83^\circ)} = \frac{60}{\sin 83^\circ}$
 $BC = 45.62263905$ (A1) for correct value
 $BD = \sqrt{83^2 + 45.62263905^2 - 2(83)(45.62263905) \times \cos(54.92093749^\circ + 83^\circ)}$ (M1)(A1) for substitution
 $BD = 120.7954013$
 $\frac{BD}{\text{Speed of Q}} = \frac{BC + DC}{50}$ (M1) for valid approach
 $\frac{120.7954013}{\text{Speed of Q}} = \frac{45.62263905 + 83}{50}$
 $\text{Speed of Q} = 46.95728613$
 $\text{Speed of Q} = 47.0 \text{ km/h}$ A1 N5 [5]

4. (a) $\hat{B}AD = 220^\circ - 180^\circ$
 $\hat{B}AD = 40^\circ$ (A1) for correct value
 $\hat{B}DA = 180^\circ - 40^\circ - 61^\circ$
 $\hat{B}DA = 79^\circ$ (A1) for correct value
 $\frac{BD}{\sin 40^\circ} = \frac{80}{\sin 79^\circ}$ (A1) for substitution
 $BD = 52.38547754$
 $BD = 52.4 \text{ km}$ A1 N4 [4]
- (b) The area of the triangle ABD
 $= \frac{1}{2}(52.38547754)(80)\sin 61^\circ$ (M1)(A1) for substitution
 $= 1832.694841$
 $= 1830 \text{ km}^2$ A1 N3 [3]
- (c) The area of the triangle BCD is 1832.694841 km^2 .
 $\frac{1}{2}(CD)(BD)\sin \theta = 1832.694841$ (M1) for setting equation
 $\frac{1}{2}(72)(52.38547754)\sin \theta = 1832.694841$ (A1) for substitution
 $\sin \theta = 0.9717996746$ (A1) for correct value
 $\theta = 180^\circ - 76.36074617^\circ$
 $\theta = 103.6392538^\circ$
 $\theta = 104^\circ$ A1 N4 [4]
- (d) $BC = \sqrt{72^2 + 52.38547754^2 - 2(72)(52.38547754)\cos 103.6392538^\circ}$ (A1) for substitution
 $BC = 98.52440125$ (A1) for correct value
The total distance
 $= 98.52440125 + 80$
 $= 178.52440125$
The minimum time required
 $= \frac{178.52440125}{70}$ (M1) for valid approach
 $= 2.550348589 \text{ h}$ (A1) for correct value
 $= 2 \text{ hours } 33 \text{ minutes}$ A1 N5 [5]

Exercise 47

1. (a) $\frac{\sin \hat{A}CB}{20.8} = \frac{\sin 71.5^\circ}{26.6}$ (M1)(A1) for substitution
 $\hat{A}CB = 47.86330515^\circ$
 $\hat{A}CB = 47.9^\circ$ A1 N3 [3]
- (b) (i) $\hat{B}AC = 180^\circ - 71.5^\circ - 47.86330515^\circ$ (M1) for valid approach
 $\hat{B}AC = 60.63669485^\circ$
 $\hat{B}AC = 60.6^\circ$ A1 N2
- (ii) $\frac{BC}{\sin 60.63669485^\circ} = \frac{26.6}{\sin 71.5^\circ}$ (M1)(A1) for substitution
 $BC = 24.44592146$
 $BC = 24.4 \text{ km}$ A1 N3 [5]
- (c) (i) $\cos \hat{B}OC = \frac{14^2 + 14^2 - 24.44592146^2}{2(14)(14)}$ (M1)(A1) for substitution
 $\hat{B}OC = 121.634431^\circ$ (A1) for correct value
 Reflex $\hat{B}OC$
 $= 360^\circ - 121.634431^\circ$
 $= 238.365569^\circ$
 $= 238^\circ$ A1 N4
- (ii) The required area
 $= \pi(14)^2 \times \frac{238.365569^\circ}{360^\circ}$ (A1) for substitution
 $= 407.7058723$
 $= 408 \text{ cm}^2$ A1 N2 [6]

2. (a) $\frac{AC}{\sin 50^\circ} = \frac{43.2}{\sin 70^\circ}$ (M1)(A1) for substitution
 $AC = 35.21696266$
 $AC = 35.2 \text{ cm}$ A1 N3 [3]
- (b) $\hat{BAC} = 180^\circ - 50^\circ - 70^\circ$ (M1) for valid approach
 $\hat{BAC} = 60^\circ$ (A1) for correct value
 $\frac{BC}{\sin 60^\circ} = \frac{43.2}{\sin 70^\circ}$ (M1)(A1) for substitution
 $BC = 39.81333536$
 $BC = 39.8 \text{ cm}$ A1 N5 [5]
- (c) (i) $\cos \hat{BOC} = \frac{23^2 + 23^2 - 39.81333536^2}{2(23)(23)}$ (M1)(A1) for substitution
 $\hat{BOC} = 119.8813635^\circ$
 $\hat{BOC} = 120^\circ$ A1 N3
- (ii) The area of the sector OBDC
 $= \pi(23)^2 \times \frac{119.8813635^\circ}{360^\circ}$ (A1) for substitution
 $= 553.4198315$
 $= 553 \text{ cm}^2$ A1 N2
- (iii) The required area
 $= 553.4198315 - \frac{1}{2}(23)(23)\sin 119.8813635^\circ$ (M1)(A1) for substitution
 $= 324.0827669$
 $= 324 \text{ cm}^2$ A1 N3 [8]

3. (a) $\frac{AC}{\sin 40^\circ} = \frac{11}{\sin 21^\circ}$ (M1)(A1) for substitution
 $AC = 19.73017876$
 $AC = 19.7 \text{ cm}$ A1 N3 [3]
- (b) $\hat{OAC} = 180^\circ - 40^\circ - 21^\circ$ (M1) for valid approach
 $\hat{OAC} = 119^\circ$
 $\frac{OC}{\sin 119^\circ} = \frac{11}{\sin 21^\circ}$ (M1)(A1) for substitution
 $OC = 26.84619758$
 $OC = 26.8 \text{ cm}$ A1 N4 [4]
- (c) The area of the sector OBA
 $= \pi(11)^2 \times \frac{40^\circ}{360^\circ}$ (A1) for substitution
 $= 42.2369679$ (A1) for correct value
The area of the triangle OAC
 $= \frac{1}{2}(11)(26.84619758)\sin 40^\circ$ (A1) for substitution
 $= 94.91021744$ (A1) for correct value
The required area
 $= 94.91021744 - 42.2369679$ (M1) for valid approach
 $= 52.67324954$
 $= 52.7 \text{ cm}^2$ A1 N6 [6]

4. (a) $\frac{\sin \hat{A}CB}{28} = \frac{\sin 63^\circ}{47}$ (M1)(A1) for substitution
 $\sin \hat{A}CB = 0.530812397$
 $\hat{A}CB = 32.06036169^\circ$
 $\hat{A}CB = 32.1^\circ$ A1 N3 [3]
- (b) $\hat{O}AC = 180^\circ - 63^\circ - 32.06036169^\circ$ (M1) for valid approach
 $\hat{O}AC = 84.93963831^\circ$
 $\frac{OC}{\sin 84.93963831^\circ} = \frac{47}{\sin 63^\circ}$ (M1)(A1) for substitution
 $OC = 52.54373345$
 $OC = 52.5 \text{ cm}$ A1 N4 [4]
- (c) The length of the arc ADB
 $= 2\pi(28) \times \frac{63^\circ}{360^\circ}$ (A1) for substitution
 $= 30.78760801$ (A1) for correct value
The required perimeter
 $= 30.78760801 + (52.54373345 - 28) + 47$ (M1) for valid approach
 $= 102.3313415$
 $= 102 \text{ cm}$ A1 N4 [4]